



# **Plasma Turbulence**

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**STFC Summer School 2024**



#### **Part 1: Basics of turbulence**

- *- What is turbulence?*
- *- Properties of turbulent flows.*
- *- Fluid versus MHD plasma turbulence.*

#### **Part 2: Turbulence in solar and space plasmas**

- *- Role of turbulence in solar and space plasmas.*
- *- Examples of turbulence in solar plasma.*
- *- Examples of turbulence in space plasma.*
- **Summary and questions**



What words do you associate with turbulence???



What words do you associate with turbulence???

*"disturbance" "disruption"*

*"chaotic" "irregular" "unsettled"*

*Latin: turba means something confusing or something which does not follow an ordered plan.*

Studies of turbulence by Leonardo Original pictures by Reynolds 1883

Da Vinci (Frisch 1995)

(Bruno & Carbone 2013).



What words do you associate with turbulence???

*"disturbance" "disruption"*

*"chaotic" "irregular" "unsettled"*

*Latin: turba means something confusing or something which does not follow an ordered plan.*

Understanding turbulence is important as it appears everywhere in nature…













- *"While fluids can flow in a variety of ways, turbulence describes the extremely complicated, chaotic motion that fluids frequently exhibit in natural and engineered systems."*
- Fluid flow can be described as **laminar** or **turbulent**:
	- **laminar flow** occurs at low Reynolds numbers, where viscous forces are dominant (leading to smooth, constant motion).
	- **turbulent flow** occurs at high Reynolds numbers, where inertial forces are dominant (leading to chaotic eddies, vortices and other flow instabilities).

$$
\boxed{\mathrm{Re}=\frac{\rho v L}{\mu}}
$$

*p* is the density of the fluid

**v** is a characteristic velocity of the fluid with respect to the object

- **L** is a characteristic linear dimension
- **μ** is the dynamic viscosity of the fluid

Turbulence occurs when *viscous forces* are dominated by *inertial forces*.

*How does Re vary in different media???*



- *"While fluids can flow in a variety of ways, turbulence describes the extremely complicated, chaotic motion that fluids frequently exhibit in natural and engineered systems."*
- Fluid flow can be described as **laminar** or **turbulent**:





# **Useful turbulence glossary**

- **Eddy** "rotating fluid element" or a "turbulent motion" localised over a region of size l and ~ coherent over this region.
- **Characteristic quantity** the length / timescale / velocity etc. over which a process takes place.
- **Turnover time** the timescale over which an eddy of scale l undergoes significant distortion.
- **Correlation length** defines a length scale over which the deviations from the average stop being similar / measure of the order of the system / relationship between neighbouring fluctuations.
- **Energy power spectrum** usually a plot of energy  $E(k)$  versus wavenumber k telling us how the energy of the system is distributed amongst the different scales.
- **Energy cascade** defines the flow of energy between different length scales from injection to dissipation, via the inertial scale.
- **Inner and outer scales** Scales related to the lengths at which injection and dissipation occur. A Kolmogorov assumption occurs over the inertial range i.e.,  $1/L \ll k \ll 1/l$ .
- **Incompressible** fluid density is the same everywhere.
- **Viscosity** measure of a fluid's resistance to flow.
- **Homogeneous** same properties at every point in space / all points in the fluid.
- **Isotropic / Anisotropic** no directional preference / directional preference.



### **Properties of fluid turbulence**

#### **Main properties of fluid turbulence:**



- **Randomly fluctuating parameters** (v, P, T) with erratic motions and different size eddies.
- **Irregularity** (space, time).
- **High Reynolds number**.





- **Dissipative**.

- **Flow pattern is random** (or "stochastic") with no preferred direction.
- **Diffusive** nature.





### **Turbulent energy cascade**

- Turbulent motions occur over a wide range of length and time scales.
- Energy is **input at large scales** and energy is **dissipated at small scales**.
- There are three main intervals in the energy cascade: (1) **Generation of energy,** (2) **Inertial range (steady state)**, (3) **Dissipation**.



When energy is supplied at large scales, it gets redistributed over fluctuations of different scales, and removed at small scales where viscosity can finally dominate.





## **Turbulent energy cascade**

**Hydrodynamic turbulence is universal**, the energy cascade in the inertial range does not dependent on the energy-injection mechanism or on the dissipation mechanism.



The slope of -5/3 in the inertial range is known as the **Kolmogorov spectrum**.



#### Kolmogorov spectrum **Jr** *l*

*Assumptions: turbulence is incompressible, homogeneous and isotropic.*  $\overline{C}$ *l* and not not information to the contract of the c<br>...

*k* =

*Assumptions: energy transfer rate is constant from large eddies to small eddies. k* =  $\cdot$  rate *<i>energy transfer rate is l te et u*

Eddy turnover time, t: 
$$
t = \frac{l}{u}
$$
 and wavenumber, k:  $k = \frac{2\pi}{l}$  small eddies have large k

\nTurbulent kinetic energy per unit mass:  $u^2 = \int_0^\infty E(k)dk$  i.e., integral over all scales.

\nEnergy transfer rate / dissipation rate:  $\epsilon = \frac{\text{energy}}{\text{time}} = \frac{u^2}{t} = u^3k = \text{constant}$ 

\nHence,  $u = \epsilon^{1/3}k^{-1/3}$ 

\nEnergy spectrum E(k):  $E(k) = \frac{u^2}{k} = \frac{\epsilon^{2/3}k^{-2/3}}{k} = \epsilon^{2/3}k^{-5/3}$ 

\nE(k) ~ k<sup>-5/3</sup> is known as the Kolmogorov spectrum, universal amongst all inertial scales between the energy injection (outer) and dissipation (inner) scales, i.e.,

$$
1/L << k << 1/l
$$



# **MHD plasma turbulence**

- **Most astrophysical plasmas are magnetised leading to MHD plasma turbulence.**
- **MHD turbulence describes turbulence in an electrically conducting, magnetised fluid**.
- **The presence of a magnetic field at larger scales introduces anisotropy.**
- The energy cascade in different directions is now different (main difference to fluid turbulence with no preferred direction).
- Astrophysical sources will only be turbulent if there are suitable forces to drive the turbulence.
- We also define the **magnetic Reynolds number:**

 $\sim \frac{\text{induction}}{\text{Area}}$  $\rm R_m$ diffusion

**U** is a characteristic velocity of the fluid **L** is a characteristic linear dimension **n** is the magnetic diffusivity











#### **MHD plasma turbulence** *l*

- **Most astrophysical plasmas are magnetised leading to MHD plasma turbulence.**
- **MHD turbulence describes turbulence in an electrically conducting, magnetised fluid**. Turbulent kinetic energy per unit mass = *u*<sup>2</sup>
- **The presence of a magnetic field at larger scales introduces anisotropy.** *u* = ✏ 1*/*3



#### **MHD** turbulence









In MHD, motion along B is free, but it is limited across B.



#### **Iroshnikov-Kraichnan spectrum** *u* energy transfer time  $\epsilon$  =  $\epsilon$  energy *u*2 = = *u*<sup>3</sup> *k* = constant

Iroshnikov (1963) & Kraichnan (1965) (IK) determined the cascade spectrum in the inertial range for **weak MHD turbulence** with a **strong large-scale magnetic field**. **The Expension of the UP of the**<br>External parameters of the UP anet *E*(*k*)*dk*

**We will discuss this assumption again later when we look at turbulence in the solar wind!** 0

- A plasma threaded by a straight uniform magnetic field B is considered. It is assumed that the **turbulence is weak**, i.e., many interactions are required to transfer energy to smaller scales. *u* = ✏ *k*1*/*<sup>3</sup> *<sup>E</sup>*(*k*) = *<sup>d</sup> d*
- MHD turbulence can be created by counter-propagating magnetic disturbances such as **Alfvén waves**. *dk dk*



In MHD turbulence, a new timescale becomes important and this is the Alfvén timescale (~ period of an Alfvén wave).

$$
t_A \approx \frac{\lambda}{v_A}
$$

**The above assumptions lead to a <u>Iroshnikov-Kraichnan spectrum</u> (opposite wave packets** *i***n the above assumptions lead to a <u>Iroshnikov-Kraichnan spectrum</u> (opposite wave packets interact weakly), which has a flatter spectrum than Kolmogorov (slower energy cascade).** <u>raı</u><br>hə</u>

⇣*v<sup>A</sup>*

⌘2



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#### **Iroshnikov-Kraichnan spectrum** Turbulent Kinetic energy per unit mass = <u>unit mass = per unit mass = per unit mass = </u>  $\frac{1}{2}$  $$ *dk*  $\mathsf{I}$  Sp *d dk* ✏ 2*/*3 *k*2*/*<sup>3</sup> *L*? *<< L|| L*? *<< L||*

2*/*3

*<sup>E</sup>*(*k*) = *<sup>d</sup> d*  $\overline{\phantom{a}}$  $\overline{a}$ ÷, ÷, rrum in the inertial<br>iold *k*? *>> k||* Iroshnikov (1963) & Kraichnan (1965) (IK) determined the cascade spectrum in the inertial roommer (1999) & Malemian (1999) (in y determined the easeade epoctram in the range for weak MHD turbulence with a strong large-scale magnetic field.

*dk u*2 = *dk* ✏ *k*2*/*<sup>3</sup> / ✏ *k*5*/*<sup>3</sup> **1** and solar v **the solar** *vv* = *N k* $\alpha$  **<b>b**  $\alpha$  *k*  $\alpha$  2⇡ *l* **We will discuss this assumption again later when we look at turbulence in the solar wind!**

Turbulent kinetic energy per unit mass = *u*<sup>2</sup>

- (*u* now represents components of fluctuating velocity): Number of interactions N required to deform the packet 1*/L << k <<* 1*/l*
- Dominant timescale (Alfvénic time):  $\vert$
- Turbulent kinetic energy per unit mass :  $\boxed{u^2}$

*k*? *>> k||*  $N =$  $\int v_A$ *u*  $\setminus^2$ *vA*  $N=$ *u*

$$
t = N \frac{\lambda}{v_A} = \left(\frac{v_A}{u}\right)^2 \frac{\lambda}{v_A} = \frac{v_A}{ku^2}
$$

*N* =

 $\overline{u}$ 

1*/*4

2*/*3

$$
u^2 = \int_0^\infty E(k)dk
$$

 $\overline{\phantom{0}}$  1

 $u = \epsilon^{1/4} k^{-1/4}$ 

 $u = \epsilon^{1/4} k^{-1/4}$ 

*u* = ✏ *k*1*/*<sup>4</sup> 1*/*4

=

1*/*2

0

$$
\epsilon = \frac{\text{energy}}{\text{time}} = \frac{u^2}{t} = u^4 k = \text{constant}
$$

Hence,

**Energy transfer rate / dissipation rate:**  $\qquad \qquad \epsilon =$ 

**IK energy spectrum E(k):**

$$
E(k) = \frac{u^2}{k} = \frac{\epsilon^{1/2}k^{-1/2}}{k} = \epsilon^{1/2}k^{-3/2}
$$



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# **Solar/space physics turbulence**

Turbulence is present and plays a key role in the behaviour and evolution of plasma in solar and space physics.

Here, we will briefly discuss three examples:

- 1. Spectral line broadening and the role of turbulence in solar flares.
- 2. In-situ measurements and solar wind turbulence
- 3. Radio measurements and solar wind turbulence

There are still many challenges associated with understanding MHD plasma turbulence (e.g., development, dissipation)!



## **Solar Energetic Particles**

The Sun is an efficient particle accelerator producing energetic electrons, protons and ions during transient events e.g., flares and coronal mass ejections (CMEs).





#### **Solar Energetic Particles**





# **Solar Flare Energy Partition**

Understanding solar flares means we have to understand how energy is released, dissipated and deposited, at all stages.

- A medium solar flare releases about 10<sup>32</sup> erg (where 1 megaton of  $TNT = 4x10^{22}$  erg).
- The *magnetic energy* is transformed into different energies *e.g. Emslie et al. 2012.*





A substantial fraction of the magnetic energy goes into non-thermal electrons.

e.g., **Emslie et al. 2012**, **Warmuth & Mann 2016**, **Aschwanden et al. 2017**.



- **Turbulence** is an important mechanism for the transfer of magnetic energy e.g. **Larosa & Moore 1993, Petrosian 2012, Vlahos et al. 2016, Kontar et al. 2017.**
- **Turbulence** may dissipate energy over multiple fragmented regions during the flare e.g. **Vlahos et al. 2016, Gordovskyy et al. 2016.**
- **Energy is transferred** from large scales (~size of a solar flare loop 109 cm) to small scales (particle level).



#### *How do we diagnose the presence and properties of turbulence in solar flares?*

#### **Spectral line broadening is the main tool**

- The properties of the plasma are usually found from Gaussian fitting. The second moment is related to the width of the line (which can be converted to a velocity).
- The 'expected' width of a spectral line is related to temperature.
- An excess width may be due to the presence of turbulence.





**Turbulence** is usually inferred via the presence of non-thermal line broadening.



#### **French, Matthews et al. 2020 Warren, Brooks et al. 2018**



#### **Turbulence plays a vital role in the transfer of energy from magnetic fields.**





#### **Turbulence plays a vital role in the transfer of energy from magnetic fields.**





#### **Flare Turbulence**



*Stores et al. (2023)* studies electron acceleration in **extended turbulent regions**.  $\mathbf O$ 



- Turbulence OR superposition of unresolved plasma flows along the line of sight?
- **Polito et al. 2019** suggest that it is difficult to reconcile symmetrical broadened lines with flows (flows are more likely to produce asymmetrical broadened lines).



**motions - Turbulence?**



**superposition of unresolved, independent flows?**



### **Solar Wind Brief Recap**

*See the slides from Tuesday's lecture "CME's, the Solar Wind and the Heliosphere".*

- The whole heliosphere is permeated by the solar wind, a plasma flow of solar origin that expands into the heliosphere.
- The heated corona expands into space, accelerates and forms the solar wind.
- **Solar wind properties (e.g., speed, temperature, density) are highly variable.**
- **The solar wind carries magnetic field, waves and turbulence into the heliosphere.**
- Two states: an irregular slow wind with typical speeds of 400 km/s and a smooth fast wind with a speed of  $\sim$ 750 km/s.



**Turbulence in the solar heliosphere plays a relevant role in several aspects of plasma behaviour in space, such as solar wind generation, high-energy particles acceleration, plasma heating, and cosmic rays propagation.**



#### **Solar wind turbulence**

- The solar wind is a highly turbulent plasma, and hence, an excellent laboratory for studying turbulence!
- In the solar wind, **turbulence can be measured directly via in-situ measurements at different heliospheric locations** e.g., fluctuating B-fields, E-fields.



*PSP observations, Kasper et al. (2019), Nature, 576, 228.*

Real time solar wind: **https://www.swpc.noaa.gov/products/real-time-solar-wind**



### **Solar wind turbulent cascade**

- **Large-scale disturbances (shocks, ejecta, heliospheric current sheets, stream interactions) provide energy to drive the turbulent cascade.**
- The spectrum (e.g., turbulent magnetic field) displays fluctuations over several decades in scale.

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The spectral break indicates the beginning of the ion kinetic range where the ion scale lengths are of comparable sizes to the magnetic fluctuations.



How energy is dissipated exactly (e.g., collisionless plasma) is an open question!



**Example:** distance differences and fast and slow wind differences.

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*Bruno & Carbone 2013*



#### **Spacecraft measurements**

**Example:** PSP measurements at different radial distances in the heliosphere.



- Net power in the magnetic fluctuations is seen to rise sunwards.
- Most of the spectra show a 1/f range at the largest scales.

**Inertial range shows a transition (-3/2 to -5/3) as the radial distance increases.**



leads to a nonlinear transfer time ⌧*nl* approximately equal to collisions time ⌧*c*, i.e.,

- **tuations** collection of Alexander waves in a mean  $\mathbf{v}$ **Why do we see a Kolmogorov-type spectrum in the solar wind??????** 
	- Although we see  $16 3/2$  spectra many solar w Although we see IK -3/2 spectra, many solar wind observations (and numerical simulations) show the Kolmogorov –5/3 spectrum.
	- the solar wind velocity should be taken into account. The direction of the motion of the solar wind is not constant and the orientation of the wave vectors, i.e.,  $k_{\parallel}$  (parallel to B) and k (perpendicular to B) with respect to
- **Weak turbulence**: many collisions are required to transfer energy to smaller scales **weak turbulence**: many collisions are required to transfer energy to smaller scales leading to a slower cascade rate (this assumption is used in the IK spectrum).
	- **Strong turbulence: energy is transferred to smaller scales in a single collision.**

$$
\tau_c \approx \frac{1}{k_{\parallel} v_A}
$$

**dominate the mean magnetic field (critical balance theory). Goldreich & Sridhar (1995) invoke strong turbulence where fluctuations** 



- Why do we see a Kolmogorov-type spectrum in the solar wind??????<br>
- In Goldreich & Sridhar (1995), the assumption of **strong turbulence is assumed**. Strong turbulence: energy is transferred to smaller scales in a single collision ⌧*<sup>c</sup>* ⇡ <sup>1</sup>
- $\mathsf{e}\mathsf{a}\mathsf{r}$  transfer time  $\mathsf{r}_{\sf NL}$  approximately equal to the collision time leads to a nonlinear transfer time ⌧*nl* approximately equal to collisions time ⌧*c*, i.e., leads to a nonlinear transfer time ⌧*nl* approximately equal to collisions time ⌧*c*, i.e., This leads to a nonlinear transfer time  $\tau_{NL}$  approximately equal to the collision time τC.

$$
\tau_{nl} \approx \tau_c \rightarrow \frac{1}{k_{||}v_A} \approx \frac{1}{k_{\perp}v_{\perp}}
$$

- $X$  This is known as *Critical Balance*.
- $\epsilon \frac{\text{energy}}{\epsilon} \approx k_1 n^3$   $\eta$ ✏ = energy time ⇡ *k*?*v*<sup>3</sup>  $\begin{array}{c|c|c|c} \hline \multicolumn{1}{c|c|}{\multicolumn{2}{c|c|}{\multicolumn{2}{c|c|}{\multicolumn{2}{c|c|}{\multicolumn{2}{c|c|}{\multicolumn{2}{c|c|}{\multicolumn{2}{c|c|}{\multicolumn{2}{c|c|}{\multicolumn{2}{c|c|}{\multicolumn{2}{c|c|}{\multicolumn{2}{c|c|}{\multicolumn{2}{c|c|}{\multicolumn{2}{c|c|}{\multicolumn{2}{c|c|}{\multicolumn{2}{c|c|}{\multicolumn{2}{c|c|}{\multicolumn{2}{c|c|}{$  $P$ erpendicular transfer rate:  $\epsilon = \frac{{\rm energy}}{{\rm time}} \approx k_\perp v_\perp^3 \qquad v_\perp \approx \epsilon^{1/3} k_\perp^{-1/3}$  $\frac{1}{\sqrt{1-\frac{5}{3}}}$ **Parallel transfer rates:**  $E(k_{\perp}) \approx k_{\perp}^{-5/3}$  $k^{2/3}$  **k**  $\approx k^{2/3}$ *k*<sub>1</sub>  $\frac{1}{2}$   $\frac{1}{2}$   $\frac{1}{2}$   $\frac{1}{2}$  $E(k_{||}) \approx k_{||}^{-2}$ *v*? ⇡ ✏<sup>1</sup>*/*<sup>3</sup>*k*1*/*<sup>3</sup> Parallel transfer rate: ransfer rate:  $k_{||}v_{A}\approx$  $\overline{k}$  $v_{\perp} \approx k_{\perp}$ ?  $\int_{\epsilon}$  $\left(k_{\perp}^{-1/3}\right) \approx \epsilon^{1/3} k_{\perp}^{2/3} \qquad k_{||} \propto k_{\perp}^{2/3}$ **k***y*<sup>2</sup>/<sub>2</sub>*k*<sub>2</sub>*y*<sup>2</sup>/*Pa* Par *E*(*k||*) ⇡ *k*<sup>2</sup>. Parallel transfer rate: *v*? ⇡ ✏<sup>1</sup>*/*<sup>3</sup>*k*1*/*<sup>3</sup> Kolmogorov spectrum  $E(k_{\perp}) \approx k_{\perp}^{-5/3}$   $\parallel$ Parallel transfer rate:  $k_{\parallel}v_A \approx k_{\perp}v_{\perp} \approx k_{\perp}$  $\sqrt{2}$  $\epsilon^{1/3}k_\perp^{-1/3}$  $\pm$  $\setminus$  $\approx \epsilon^{1/3} k_\perp^{2/3} \qquad k_{||} \propto k_\perp^{2/3}$ *<sup>k</sup>||v<sup>A</sup>* ⇡ ✏<sup>1</sup>*/*<sup>3</sup>*k*<sup>2</sup>*/*<sup>3</sup> ? . **Parallel speralliers** *v*.  $\sqrt{1/3}$ **Leading the Kolmogorov spectrum**  $E(k_\perp) \approx k_\perp^{-5/3}$   $\parallel$ Parallel transfer rate: rate:  $k_{\parallel}v_A \approx k_{\perp}v_{\perp}$  $\overline{\phantom{a}}$  $\approx k_\perp\,\Big(\epsilon^{1/3}$  $\setminus$  $\frac{1}{2}$  $\left( \frac{-1/3}{\mathbb{L}} \right) \approx \epsilon^{1/3} k_\perp^{2/3} \qquad k_{||} \propto k_\perp^{2/3}$ *<sup>k</sup>||v<sup>A</sup>* ⇡ ✏<sup>1</sup>*/*<sup>3</sup>*k*<sup>2</sup>*/*<sup>3</sup> ? . *E*(*k||*) ⇡ *k*<sup>2</sup>. **Parallel spectrum**  $v_{\perp} \approx \epsilon^{1/3} k_{\perp}^{-1}$ Leading the the Kolmogorov spectrum *E*(*k*?) ⇡ *k*5*/*<sup>3</sup>  $\sim$   $\frac{1}{3}l_2^{2/3}$   $k_1 \propto l_2^{2/3}$  $\frac{1}{\sqrt{2}}$   $\frac{1}{2}$   $\frac{2}{2}$ ||



#### **Density fluctuations**

- Density fluctuations are not as well studied as magnetic field fluctuations.
- Novel radio observations can be used to map turbulence via density fluctuations over large distance in the heliosphere (from the Sun to 1 AU).



*Kontar et al. (2023)*



#### **Density fluctuations**

- Density fluctuations are not as well studied as magnetic field fluctuations.
- Matching of simulations with radio observations suggests that the turbulence is anisotropic.



*Kontar et al. (2023)*



**Turbulence plays an important role in most astrophysical systems including in solar and space physics.**

- **Open questions/problems:**
	- MHD turbulence is believed to be important for coronal heating problem and acceleration of the solar wind.
	- MHD turbulence plays a key role in energy transfer in solar flares, coronal mass ejections, magnetic reconnection at the Sun and in a variety of astrophysical phenomena.
	- The details of development and dissipation of MHD turbulence are not fully understood!



### **Papers used in the lecture**

Bruno & Carbone 2013<https://ui.adsabs.harvard.edu/abs/2013LRSP...10....2B/abstract> Frisch 1995 <https://ui.adsabs.harvard.edu/abs/1995tlan.book.....F/abstract> Kontar et al. (2023)<https://ui.adsabs.harvard.edu/abs/2023ApJ...956..112K/abstract> Goldreich & Sridhar (1995)<https://ui.adsabs.harvard.edu/abs/1995ApJ...438..763G/abstract> Chen et al. (2020)<https://ui.adsabs.harvard.edu/abs/2020ApJS..246...53C/abstract> Kasper et al. (2019) <https://ui.adsabs.harvard.edu/abs/2019Natur.576..228K/abstract> Polito et al. 2019 <https://ui.adsabs.harvard.edu/abs/2019ApJ...879L..17P/abstract> Kolmogorov 1941<https://ui.adsabs.harvard.edu/abs/1941DoSSR..30..301K/abstract> Stores et al. 2021<https://ui.adsabs.harvard.edu/abs/2021ApJ...923...40S/abstract> Stores et al. 2023<https://ui.adsabs.harvard.edu/abs/2023ApJ...946...53S/abstract> Emslie et al. 2012 <https://ui.adsabs.harvard.edu/abs/2012ApJ...759...71E/abstract> Miller et al. 1996 https://ui.adsabs.harvard.edu/abs/1996ApJ...461..445M/abstract Kontar et al. 2017 <https://ui.adsabs.harvard.edu/abs/2017PhRvL.118o5101K/abstract> Warren, Brooks et al. 2018<https://ui.adsabs.harvard.edu/abs/2018ApJ...854..122W/abstract> French, Matthews et al. 2020<https://ui.adsabs.harvard.edu/abs/2020ApJ...900..192F/abstract> Larosa & Moore 1993<https://ui.adsabs.harvard.edu/abs/1993ApJ...418..912L/abstract> Gordovskyy et al. 2016 <https://ui.adsabs.harvard.edu/abs/2016A&A...589A.104G/abstract> Aschwanden et al. 2017 <https://ui.adsabs.harvard.edu/abs/2017ApJ...836...17A/abstract> Warmuth & Mann 2016 https://ui.adsabs.harvard.edu/abs/2016A&A...588A.116W/abstract Petrosian 2012 <https://ui.adsabs.harvard.edu/abs/2012SSRv..173..535P/abstract> Vlahos et al. 2016<https://ui.adsabs.harvard.edu/abs/2016ApJ...827L...3V/abstract> Kraichnan 1965 <https://ui.adsabs.harvard.edu/abs/1965PhFl....8.1385K/abstract> Iroshnikov 1963 <https://ui.adsabs.harvard.edu/abs/1963AZh....40..742I/abstract>



### **UKSP and MIST**

UK Solar Physics are a specialist group affiliated to the Royal Astronomical Society (RAS). The council represents the solar community in the UK and perform tasks beneficial to that community such as providing a newsletter (with workshops, jobs etc.), organising solar sessions at NAM and liaising between the solar community and other similar groups such as MIST (Magnetosphere, Ionosphere and Solar-Terrestrial).



**UKSP** 

#### <https://www.uksolphys.org>

The council has eight members covering different career levels and institutes within all four parts of the UK: Natasha Jeffrey (chair), Marianna Korsos (deputy chair), Karen Meyer, Peter Wyper, Ryan Milligan, Suzana de Souza e Almeida Silva, Rahul Sharma, Matthew Lennard (PhD). A new council is elected every three years.

Please join the mailing list here: https://www.jiscmail.ac.uk/uksp

MIST (Magnetosphere, Ionosphere and Solar-Terrestrial) is a similar specialist group.



<https://www.mist.ac.uk>